

# ASPARTIX: A System for Computing Different Argumentation Semantics in Answer-Set Programming

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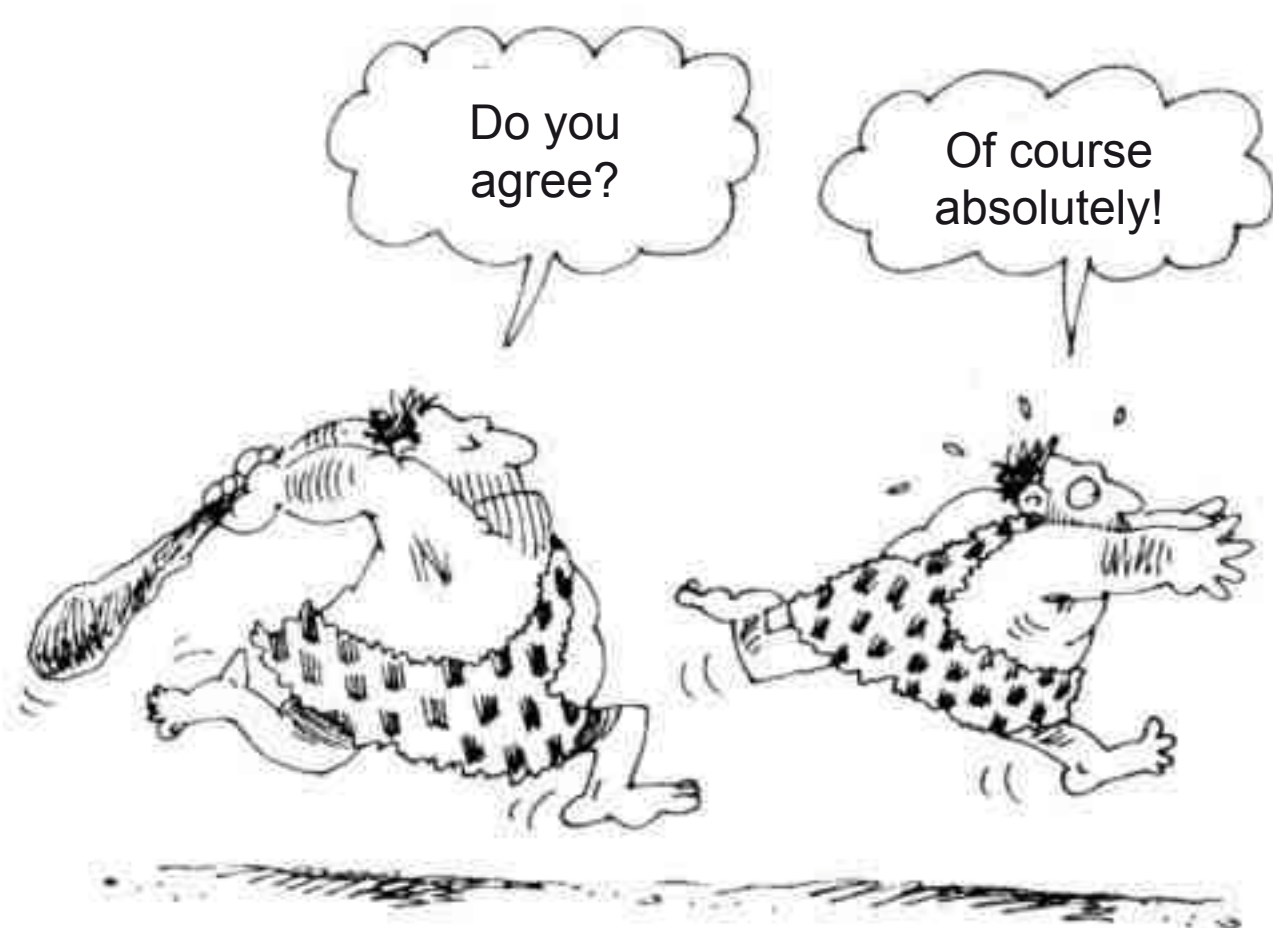
## Motivation

- **Argumentation** has become one of the central issues in **Artificial Intelligence (AI)**.
- **Argumentation frameworks (AFs)** formalize statements together with a relation for attack:
  - Selecting acceptable subsets of arguments allows to solve conflicts between statements.
  - A broad range of semantics exists.
  - Many problems associated to AFs are *intractable*.
  - Applications fields include Multi-Agent Systems and Law Research.
- **General system required!**

## Main Contributions

- **ASPARTIX** is capable to compute admissible, preferred, stable, semi-stable, ideal, complete, and grounded extensions for Dung's original framework, PAFs, VAFs, and BAFs using **ASP**.
- Can be used by researchers to compare different argumentation semantics on concrete examples within a uniform setting.
- We use **DLV** to compute the desired semantics via *fixed* datalog encodings.
- The input is the only part depending on the actual AF to process (in contrast to most previous work).
- The encodings are adequate from the complexity point of view.

## Answer-Set Programming (ASP)



- Models of program represent solutions of problem.
- Separate problem specification and input data.
- Disjunctive logic programs with constraints: compact and easily maintainable representation.
- **Guess&Check** methodology: first generate the search space, then rule out wrong solutions.
- Efficient systems (DLV) exist.

## Argumentation Frameworks

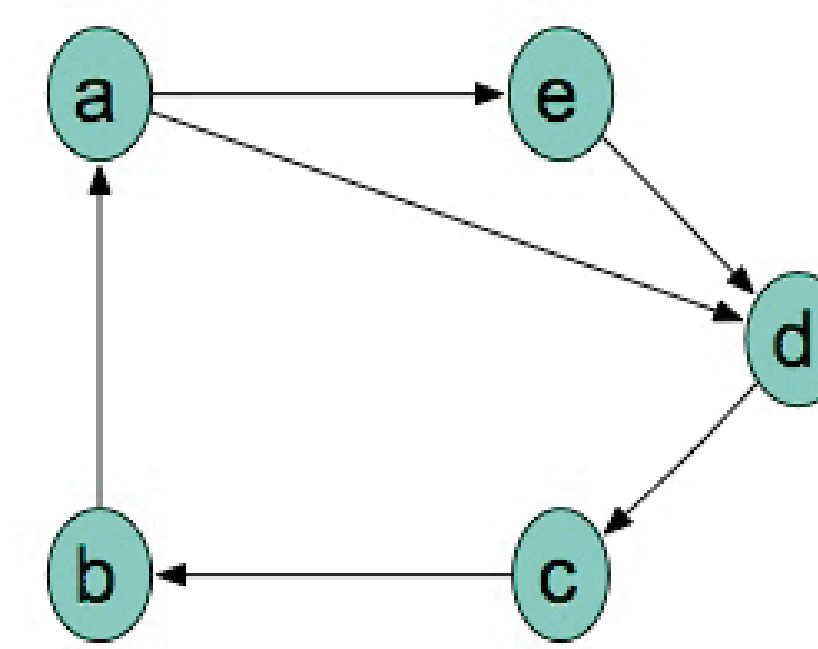
- An **argumentation framework (AF)** is a pair  $(A, R)$ , where  $A$  is a set of arguments and  $R$  is a binary relation denoting attacks. The pair  $(a, b) \in R$  means that  $a$  attacks  $b$ .
- A set  $S$  of arguments **defeats**  $b$ , if there is an  $a \in S$ , s.t.  $(a, b) \in R$ . An argument  $a$  in  $A$  is **defended** by a set  $S$  iff, for each  $b \in A$ , it holds that, if  $(b, a) \in R$ , then  $S$  defeats  $b$ .

## Semantics

- A set  $S$  of arguments is **conflict-free**, if there are no arguments  $a$  and  $b$  in  $S$ , such that  $a$  attacks  $b$ . We denote the collection of conflict-free sets by  $cf(AF)$ .
- A conflict-free set  $S$  is **admissible**, if each argument  $a$  in  $S$  is defended by  $S$ . We denote the collection of admissible sets by  $adm(AF)$ .
- A set  $S$  of arguments is a **stable extension**, if  $S \in cf(AF)$  and each  $a \in A \setminus S$  is defeated by  $S$ . We denote the collection of stable extensions by  $stable(AF)$ .
- An admissible set  $S$  is a **preferred extension**, if it is maximal with respect to set inclusion.

## Example

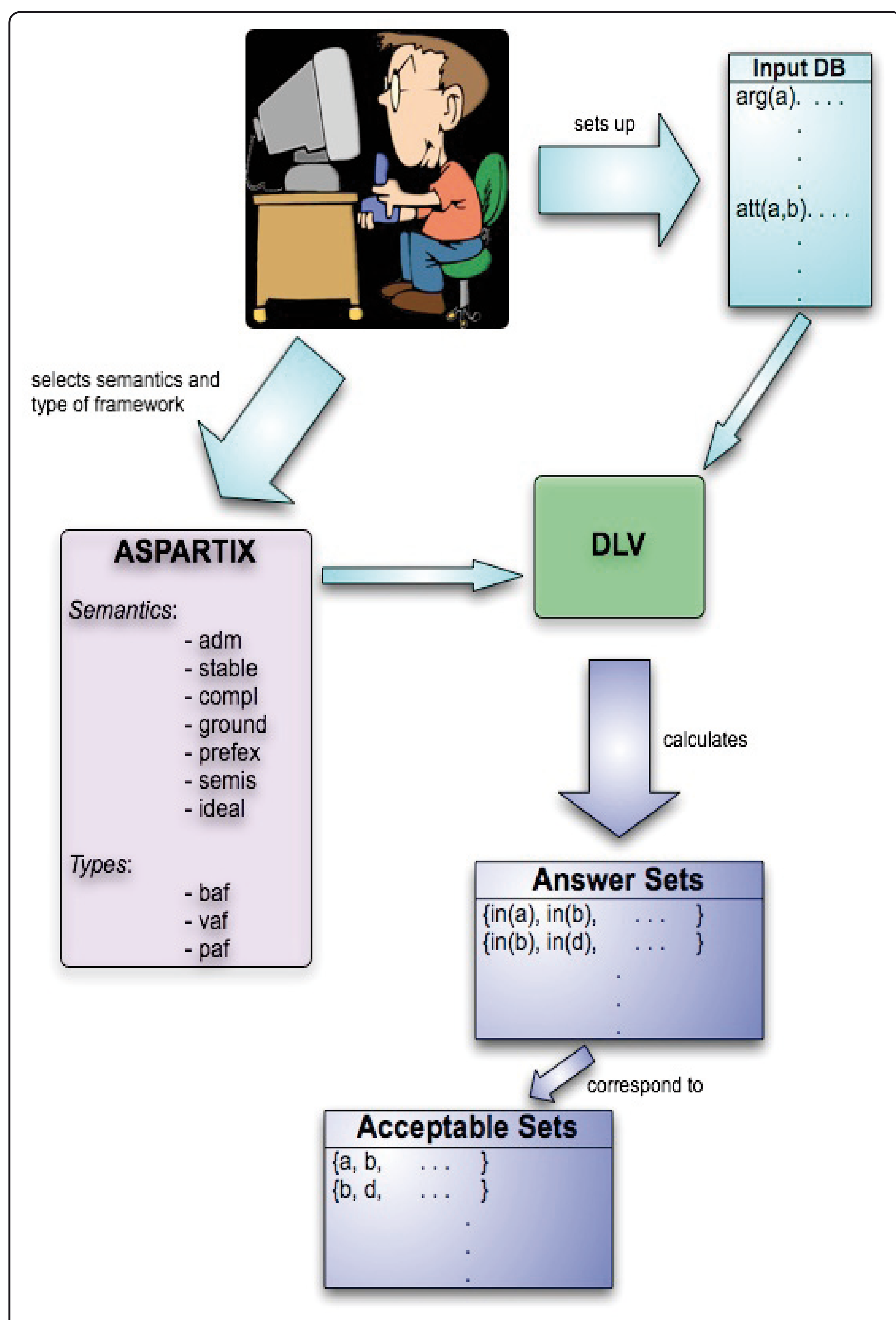
Let  $AF=(A, R)$ , be an AF with  $A=\{a, b, c, d, e\}$  and  $R=\{(a, e), (a, d), (b, a), (c, b), (d, c), (e, d)\}$ . We obtain  $adm(AF)=\{\}, \{a, c\}$ ,  $stable(AF)=prefex(AF)=\{a, c\}$ .



## Framework Types

- There exist several extensions of AFs like **preference-based AFs (PAFs)**, **value-based AFs (VAFs)**, and **bipolar AFs (BAFs)**.

## System Architecture



## Encodings

### Input Database (DB) for $AF=(A, R)$

$DB = \{arg(a) \mid a \in A\} \cup \{defeat(a, b) \mid (a, b) \in R\}$ .

### Conflict-free Guess

$P_{cf} = \{in(X) :- not out(X), arg(X);$   
 $out(X) :- not in(X), arg(X);$   
 $:- in(X), in(Y), defeat(X, Y)\}$ .

$\Rightarrow$  We guess all possible solutions via the predicates  $in \setminus 1$  and  $out \setminus 1$ . Solutions with conflicting arguments are ruled out.

### Stable Extensions

$P_{stable} = P_{cf} \cup \{defeated(X) :- in(Y), defeat(Y, X);$   
 $:- out(X), not defeated(X)\}$ .

### Admissible Extensions

$P_{adm} = P_{cf} \cup \{defeated(X) :- in(Y), defeat(Y, X);$   
 $:- in(X), defeat(Y, X), not defeated(Y)\}$ .

$\Rightarrow$  Guesses which are not stable (resp. admissible) are ruled out via constraints.

### Preferred Extensions

$P_{satpref} = \{inN(X) \vee outN(X) :- out(X); inN(X) :- in(X);$   
 $sat :- eq;$   
 $sat :- inN(X), inN(Y), defeat(X, Y);$   
 $sat :- inN(X), outN(Y), defeat(Y, X), undefeated(Y);$   
 $inN(X) :- sat, arg(X); out(X) :- sat, arg(X);$   
 $:- not sat \}$ .

$P_{prefex} = P_{adm} \cup P_{eq} \cup P_{undefeated} \cup P_{satpref}$

$\Rightarrow$  First, we compute the admissible extensions, then a second guess checks for maximality. We use a saturation technique to identify those solutions, where the second guess equals the first one, or is not admissible. (Predicates  $eq \setminus 0$  and  $undefeated \setminus 1$  are computed in additional modules  $P_{eq}$  and  $P_{undefeated}$ .)

**Result:** Answer sets of the encodings are in a *one-to-one correspondence* to the extensions of the resp. semantics.

## Future Work

- Implementation of further semantics: e.g. CF2, resolution-based, meta-attacks, etc.
- Web application of ASPARTIX including a graphical representation of the output.
- Experimental evaluation of the system.